Searching in the Light for Dark Energy Time Variation

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Motivation

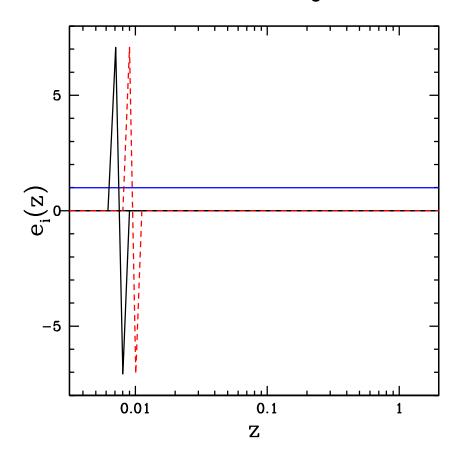
- Is dark energy a cosmological constant?
- Theory gives little insight as to how dark energy varies.
- Theory-independent analysis: let the data decide.
- Our solution: use eigenmodes.

Data

- Supernova data: Riess et. al. (astroph/0402512) and Astier et. al. (astroph/0510447)
- WMAP constraints: Provided by Mike Chu (taken from his work in astro-ph/0411737)
- BAO constraints: Eisenstein et. al. (astroph/0501171)

Parameterization

- Define: $\rho_x(z) = \rho_c a_i e_i(z)$.
- Choose basis: e₀ is constant, others vary



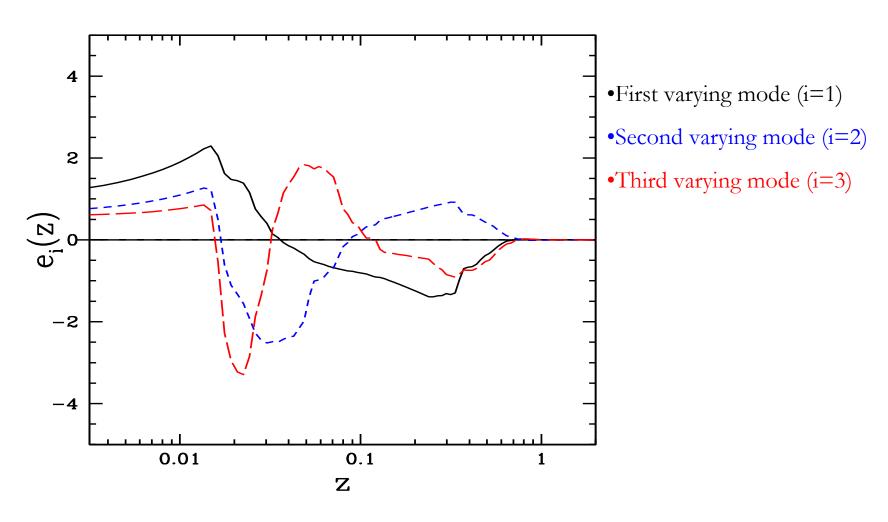
- •Constant basis vector (i=0)
- •One varying vector
- •Another varying vector

Diagonalization

- To describe our cosmology, we now have the parameters: ω_m , Ω_k , a_0 , a_1 - a_n , and the supernova parameters: M, α , β .
- Take Gaussian approximation to marginalize over all but a₁-a_n.
- Diagonalize to get eigenvectors (a new basis):

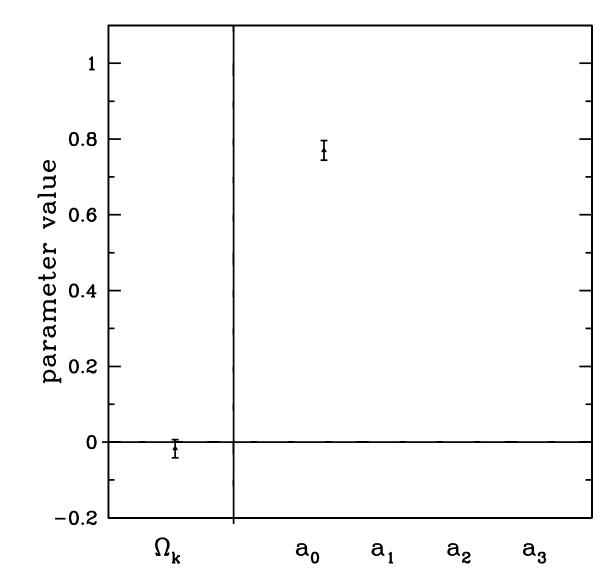
Some example eigenmodes

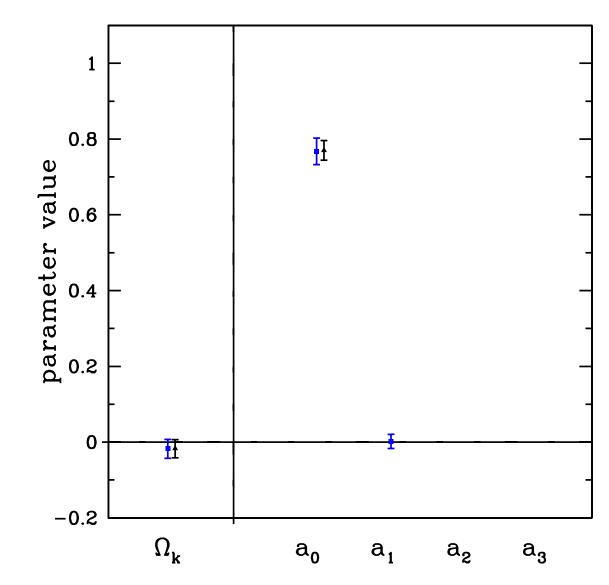
SNLS + BAO + WMAP data

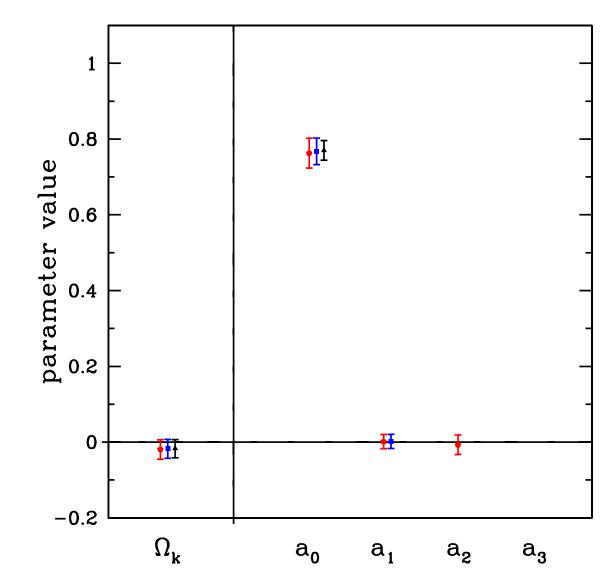


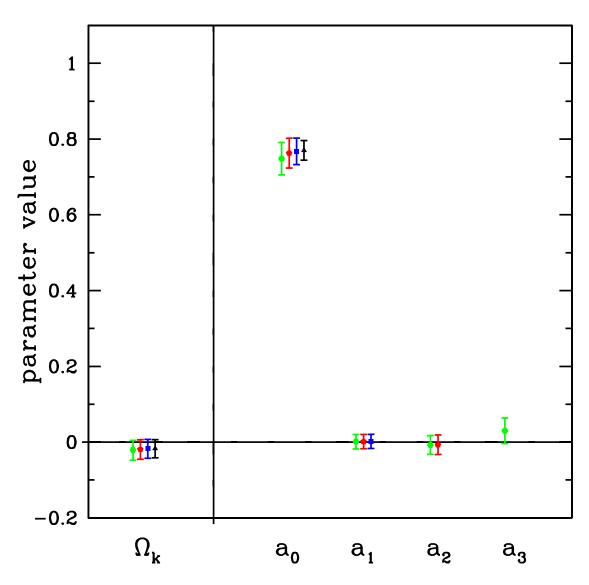
MCMC Analysis

- Frees us from the Gaussian approximation.
- Using MCMC, estimate values and errors of best-measured modes only.
- The errors in each varying mode should be uncorrelated with all other varying modes.

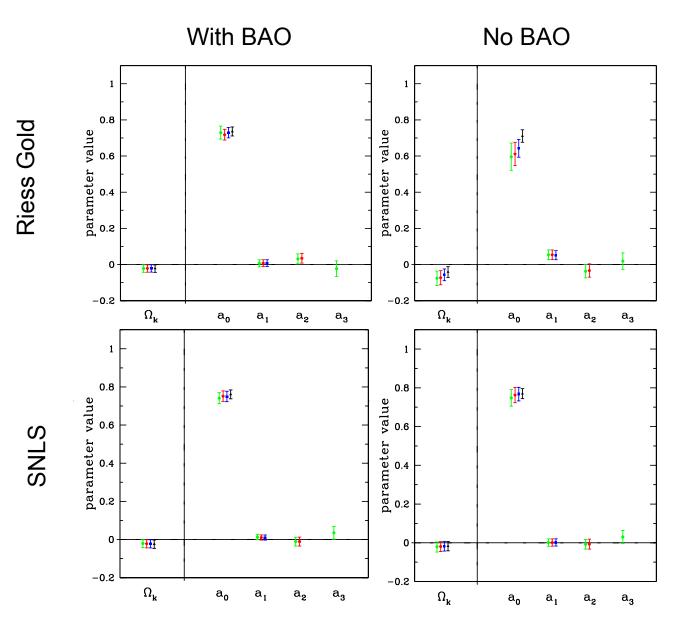








More Results

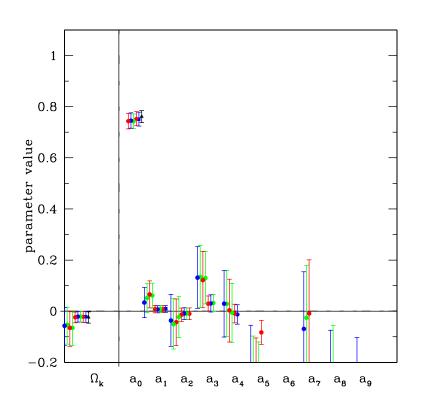


- •One DE Param
- Two DE Params
- Three DE Params
- Four DE Params

When Gaussians Go Bad

- Adding more modes: degeneracies appear.
- Here it happens when the MCMC chain includes the 7th dark energy parameter.
- This degeneracy is between a₀ and a₆.

SNLS + BAO + WMAP



Conclusions

- Good method for detecting deviation from constant without being tied to a particular theory.
- Not tied to the Gaussian approximation.
- As expected, current data is consistent with a cosmological constant and zero curvature.

Questions?

